

1. $D_{f_{\max}} = \mathbb{R} \setminus \{-2\}$; Nullstellen: $4 - 4x^2 = 0 \quad x^2 = 1 \quad x_{1/2} = \pm 1$;

$x_3 = -2$ ist Unendlichkeitsstelle (Pol) (2. Ordnung)

$$2. f(x) = -4 + \frac{16x + 20}{(x+2)^2} = \frac{-4(x+2)^2 + 16x + 20}{(x+2)^2} = \frac{-4(x^2 + 4x + 4) + 16x + 20}{(x+2)^2} = \frac{-4x^2 + 4}{(x+2)^2}$$

oder Polynomdivision

$x \rightarrow -2 \Rightarrow f(x) \rightarrow -\infty$ da $\left(\frac{Z \rightarrow -12}{N \rightarrow 0_+} \right)$ Asymptoten: $x = -2 \quad y = \frac{-4}{1} = -4$

$$3. f'(x) = \frac{(x+2)^2(-8x) - (4-4x^2)2(x+2)1}{(x+2)^4} = \frac{(x+2)(-8x) - (4-4x^2)2}{(x+2)^3} = \frac{-8x^2 - 16x - 8 + 8x^2}{(x+2)^3} = \frac{-16x - 8}{(x+2)^3}$$

kürzen

$f'(x) = 0 \quad -16x - 8 = 0 \quad x_4 = -0,5 \quad y_4 = f(-0,5) = -\frac{4}{3}$

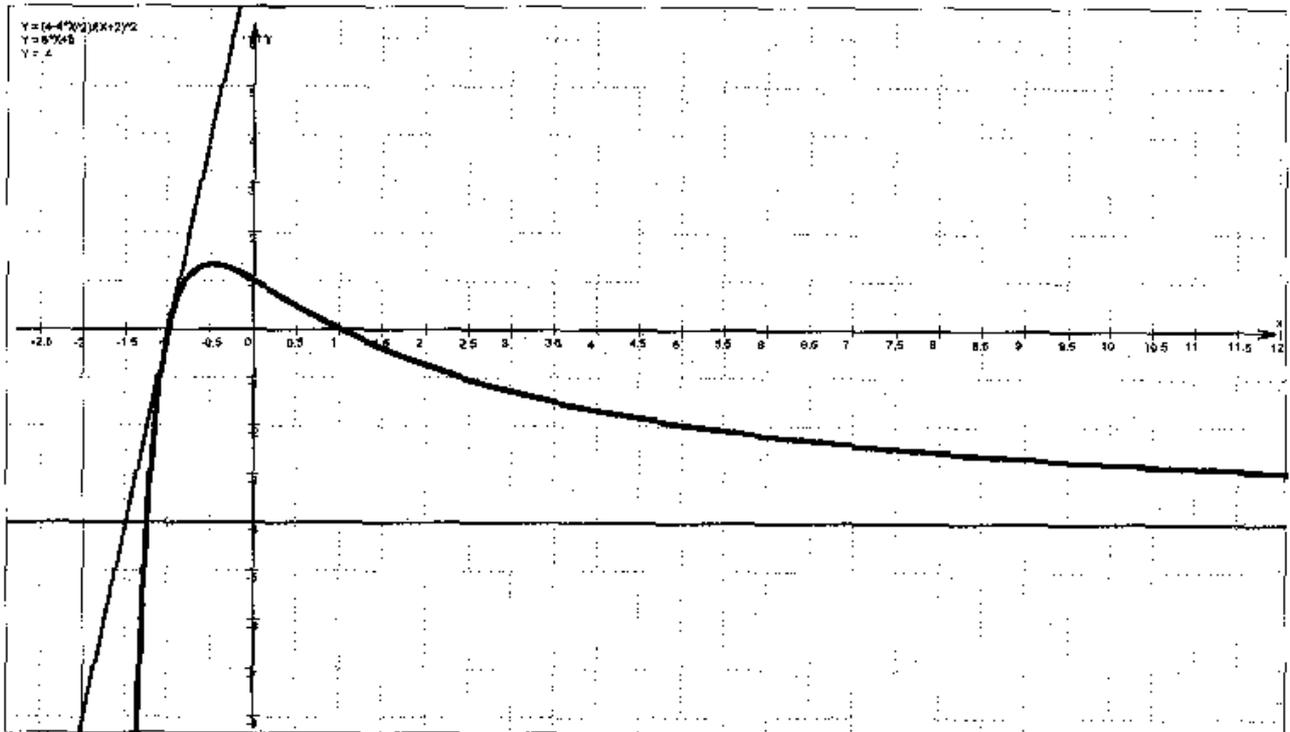
Nachweis: Umgebungsuntersuchung

	-2	<x<	-0,5	<x	
$f'(x) = -\frac{16x-8}{(x+2)^3}$	n.d.	+	0	-	HOP(-0,5 4/3)
		steigt	HOP.	fällt	

4. $y = mx + t \quad m = f'(-1) = 8 \quad (-1|0)$ einsetzen: $0 = -8 + t \quad t = 8 \quad y = 8x + 8$

5. Rest $r(x) = 16x + 20 = 0 \quad 16x = -20 \quad x = -1,25 \quad y = -4 \quad S(-1,25|-4)$

6. $f(10) = -2,75$



7. $g(x) = \frac{x(4-4x^2)}{x(x+2)^2}$